Bias correction of temperature and precipitation over China for RCM simulations using the QM and QDM methods

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Background

- Systematic biases of climate model simulations relative to observations widely exist due to various reasons.
- Very difficult / even not possible to use model outputs directly in impact assessment studies, e.g. as forcings for hydrological and agricultural models: bias correction has been widely used.
- Most commonly used: QM, quantile mapping, effectively removes model biases.
- QM may artificially distort the climate change signals and corrupt future model-projected trends.
- QDM: quantile delta mapping, based on the quantile delta change and detrended quantile mapping method, preserves the changes in quantiles.

1. Model, data, and simulations

✓ 21st century climate change simulations by RegCM4 driven by multi-GCMs

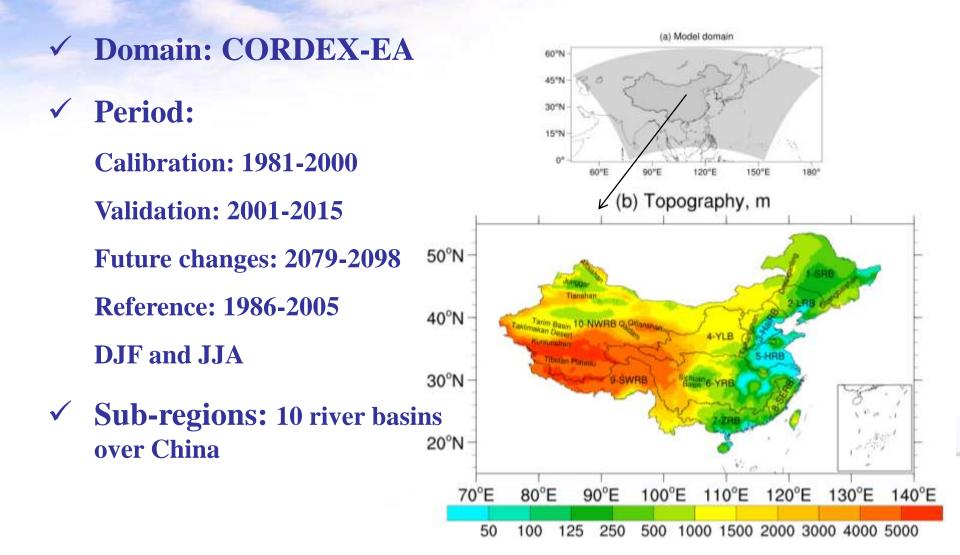
GCM: CSIRO-Mk3-6-0, EC-EARTH, HadGEM2-ES,

MPI-ESM-MR, and NorESM1-M

RegCM4: CORDEX-EA region, grid spacing 25 km CdR, EdR, HdR, MdR, NdR, ensR

✓ **Observation:**

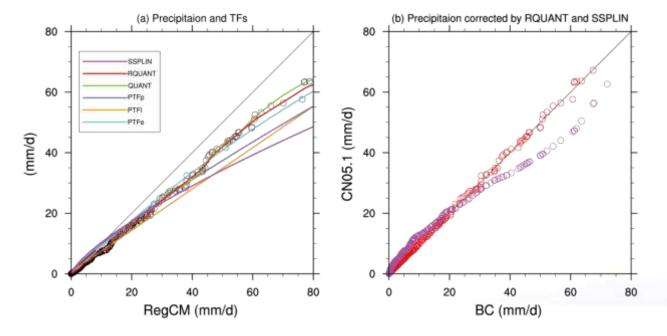
CN05.1, 0.25°×0.25°, based on 2400 station observations



2. Method

> QM (quantile-mapping, RQUANT)

 $F_{m,c}(x_{m,c}) = F_{o,c}(x_{o,c}), \qquad x_{bc} = F_{o,c}^{-1}[F_{m,p}(x_{m,p})]$



Transfer functions and simulated/bias corrected precipitation at a grid in JJA (mm/d)

> QDM (quantile delta mapping)

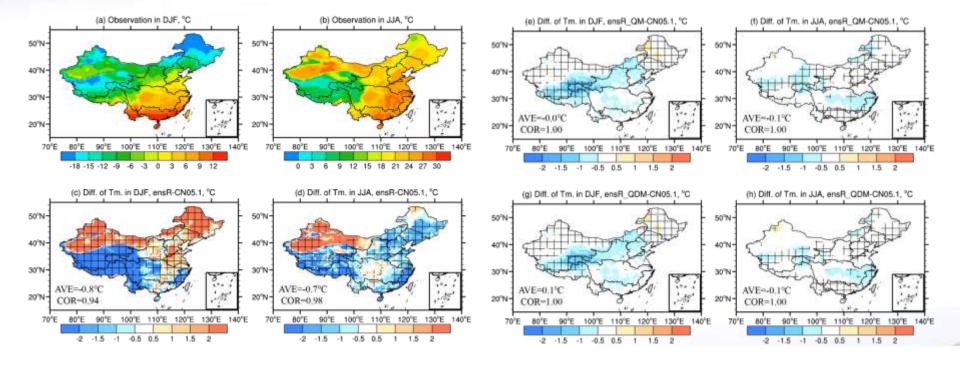
Detrended by quantiles firstly, bias corrected by QM, then projected changes added/multiplied back for the final results.

$$\begin{split} \varepsilon(t) &= F_{m,p}^{(t)} \Big[x_{m,p}(t) \Big] \\ \Delta(t) &= \frac{F_{m,p}^{(t)-1}[\varepsilon(t)]}{F_{m,c}^{-1}[\varepsilon(t)]} = \frac{x_{m,p}(t)}{F_{m,c}^{-1}\{F_{m,p}^{(t)}[x_{m,p}(t)]\}} \\ \Delta(t) &= F_{m,p}^{(t)-1}[\varepsilon(t)] - F_{m,c}^{-1}[\varepsilon(t)] = x_{m,p}(t) - F_{m,c}^{-1}\{F_{m,p}^{(t)}[x_{m,p}(t)]\} \\ \hat{x}(t) &= F_{o,c}^{-1}[\varepsilon(t)], \end{split}$$

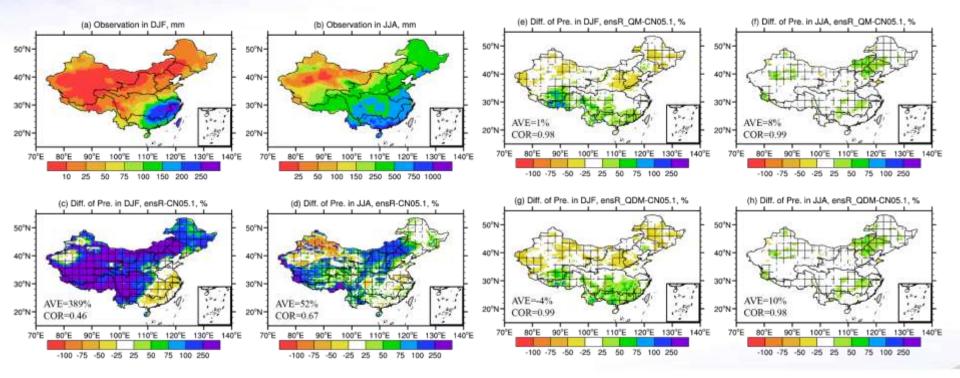
Precipitation: $x_{bc}(t) = \hat{x}(t)\Delta(t)$ **Temperature:** $x_{bc}(t) = \hat{x}(t) + \Delta(t)$

3. Results for present day

✓ Surface air temperature





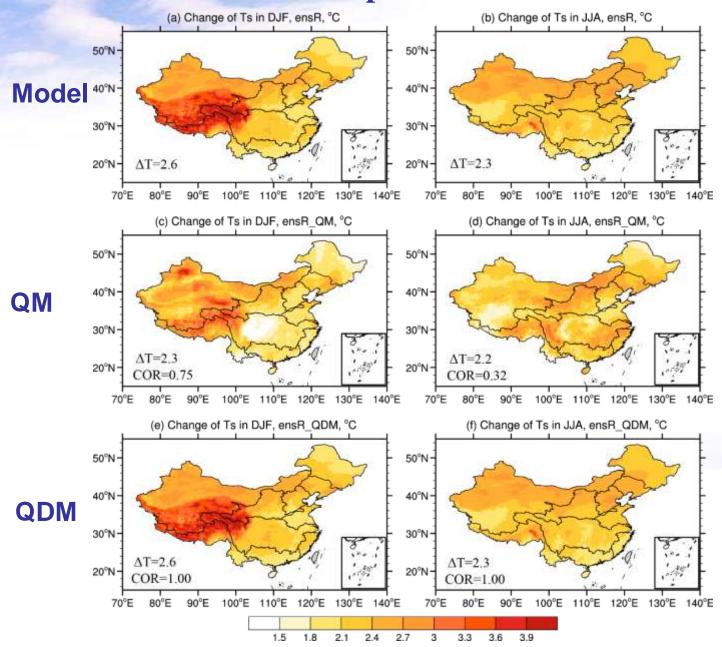


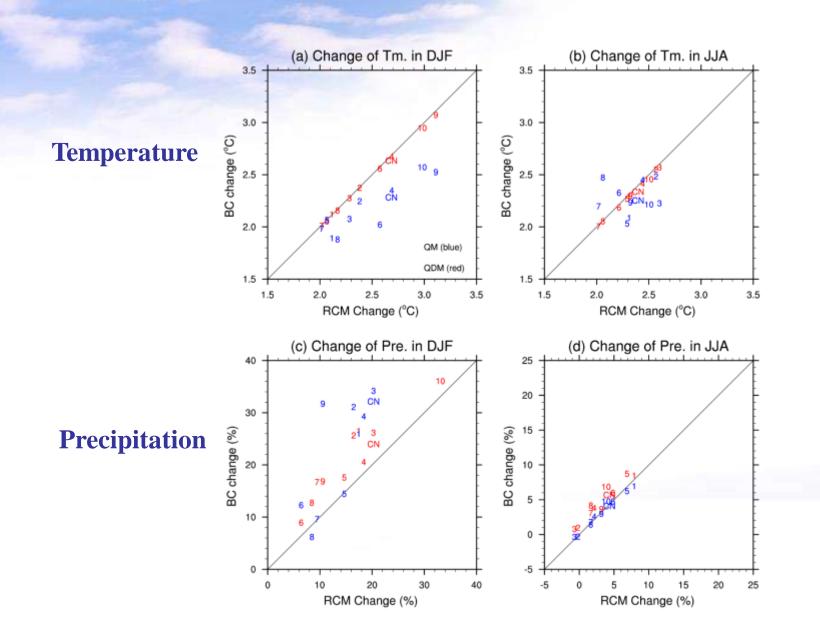
Biases of temperature (° C) and precipitation (units: %) for ensR and the spatial CORs between ensR and observations

	T (°C)		P (%)	
	DJF	JJA	DJF	JJA
1-SRB	2.6 / 0.93	-0.7 / 0.97	210 / 0.75	11 / 0.77
2-LRB	0.8 / 0.95	-1.4 / 0.97	375 / 0.89	33 / 0.70
3-HaiRB	0.5 / 0.99	-1.4 / 0.99	225 / -0.11	67 / -0.08
4-YLB	-0.7 / 0.97	-1.5 / 0.99	236 / 0.60	84 / 0.61
5-HRB	1.0 / 0.95	-1.1 / 0.94	23 / 0.94	-5 / 0.09
6-YRB	-2.0 / 0.98	-0.6 / 0.99	320 / 0.29	29 / 0.38
7-ZRB	-0.4 / 0.95	-0.2 / 0.92	38 / -0.22	9 / 0.07
8-SERB	-2.3 / 0.89	-1.8 / 0.87	-12 / 0.39	17 / 0.58
9-SWRB	-5.3 / 0.99	-1.9 / 0.98	795 / 0.37	157 / 0.28
10-NWRB	-0.3 / 0.81	-0.1 / 0.99	545 / 0.55	55 / 0.73
CN	-0.8 / 0.94	-0.7 / 0.98	389 / 0.46	52 / 0.67

4. Future changes

Temperature



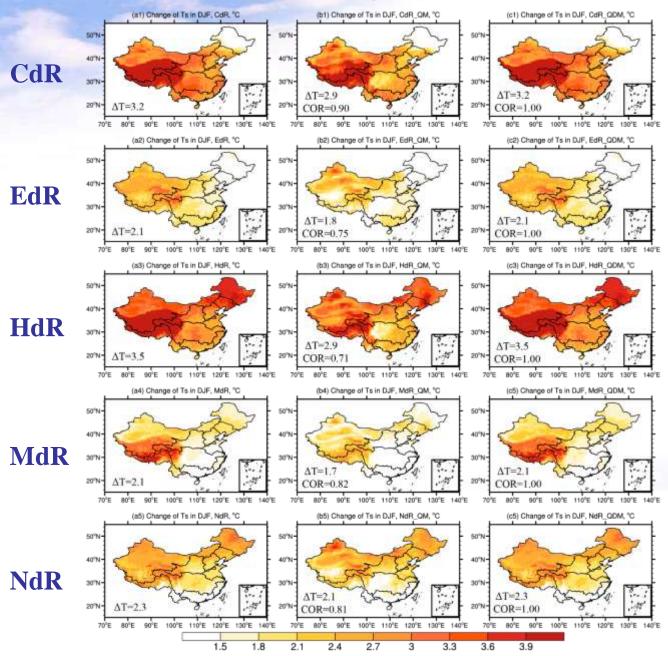


Differences and CORs of temperature changes (units: °C) at the end of

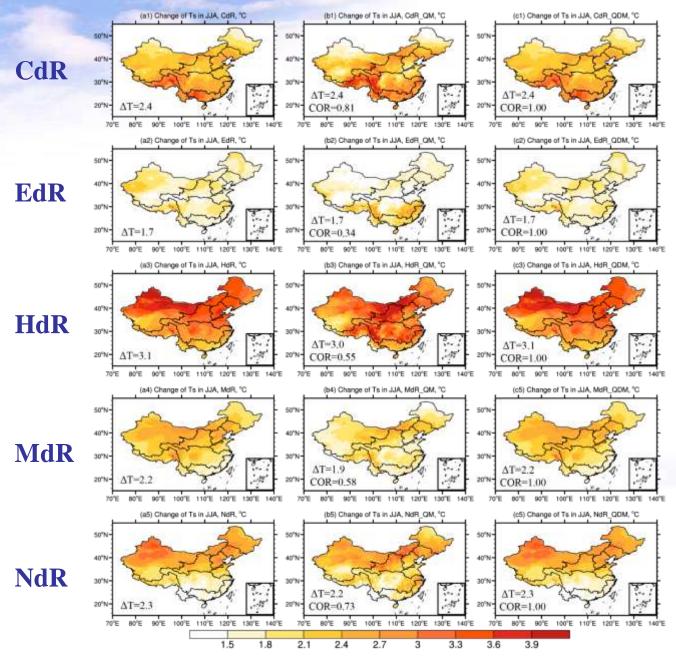
21st century between ensR_QM and ensR in DJF and JJA.

		T (°C)		
	Differences		CORs	
	DJF	JJA	DJF	JJA
1-SRB	-0.2	-0.2	0.82	0.37
2-LRB	-0.1	-0.1	0.39	-0.07
3-HaiRB	-0.2	-0.4	0.61	0.27
4-YLB	-0.3	0.0	0.79	0.72
5-HRB	0.0	-0.2	0.71	-0.10
6-YRB	-0.5	0.1	0.79	0.16
7-ZRB	-0.0	0.2	0.14	-0.22
8-SERB	-0.3	0.4	-0.17	0.64
9-SWRB	-0.6	-0.1	0.86	0.58
10-NWRB	-0.4	-0.2	0.41	0.52
CN	-0.3	-0.1	0.75	0.32

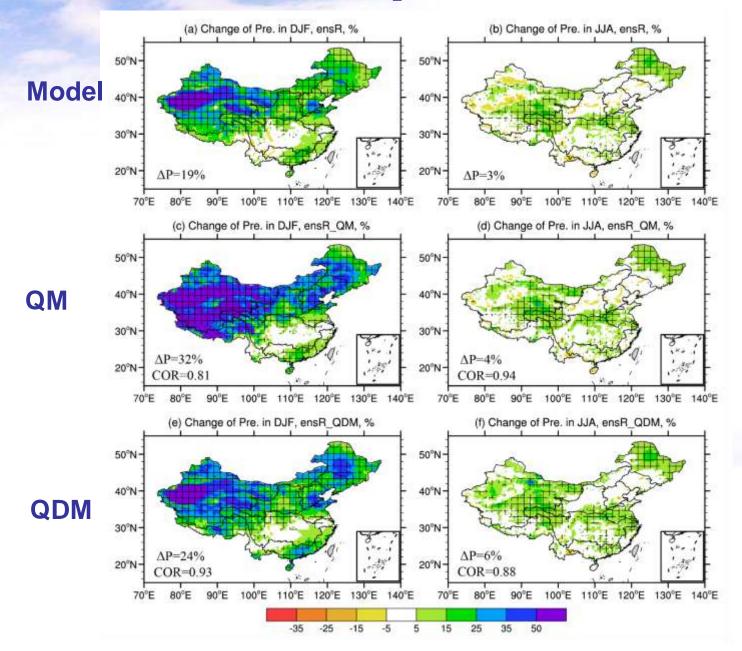
DJF



JJA



Precipitation

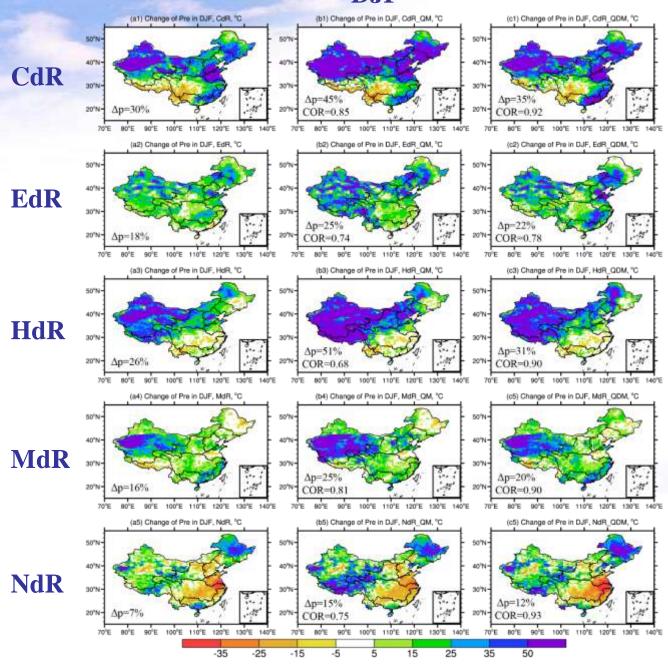


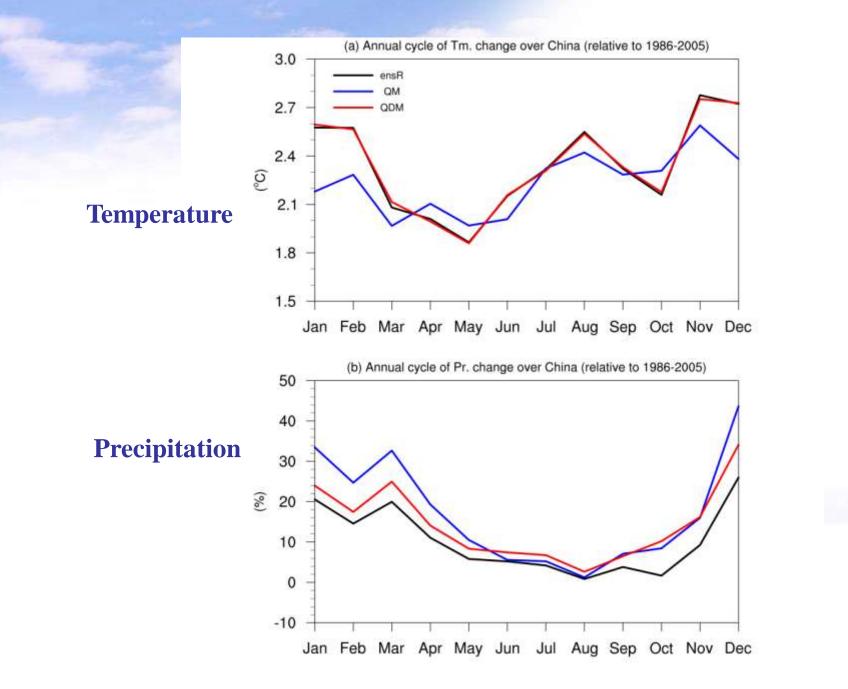
Differences and CORs of temperature changes (units: %) at the end of

21st century between ensR_QM and ensR in DJF and JJA.

		P (%)		
	Differences		CORs	
	DJF	JJA	DJF	JJA
1-SRB	9 / 9	-1 / 1	0.83 / 0.85	0.97 / 0.98
2-LRB	15 / 10	0 / 1	0.62 / 0.70	0.92 / 0.96
3-HaiRB	14 / 6	1 / 2	0.51 / 0.89	0.95 / 0.95
4-YLB	11/3	1 / 2	0.72 / 0.78	0.98 / 0.97
5-HRB	0 / 3	0 / 2	0.93 / 0.93	0.96 / 0.92
6-YRB	6/3	0 / 1	0.73 / 0.91	0.95 / 0.96
7-ZRB	1 / 8	0 / 2	0.89 / 0.85	0.97 / 0.94
8-SERB	-2 / 5	0/3	0.73 / 0.56	0.94 / 0.92
9-SWRB	22 / 7	0 / 1	0.68 / 0.78	0.94 / 0.98
10-NWRB	20 / 4	2 / 4	0.70 / 0.92	0.93 / 0.80
CN	13 / 5	1/3	0.81 / 0.93	0.94 / 0.88

DJF





5. Conclusions and discussions

- Bias of RegCM4 in DJF: a warm bias in the high latitudes of northern China and a cold bias over the Tibetan Plateau, underestimate of precipitation in the Southeast and an overestimate in the dry north.
- Bias of RegCM4 in JJA, a warm bias over the deserts of the Northwest and a cold bias prevails elsewhere, while the precipitation climatology better simulated than in DJF.
- > The biases are effectively removed by both the QM and QDM.
- QDM preserves very closely the temperature change signal of ensR, but substantial distortions for QM (lower warming and modifications in the patterns) of change.
- The patterns of precipitation change are in general preserved by both QM and QDM, but tend to amplify the increases, more pronounced in DJF and by QM.
- **>** Bias correction does not aim to improve model skill.

